# Hydromechanical modelling of slope stability at Dollendorfer Hardt, Germany, using the Local-Factor-of-Safety concept





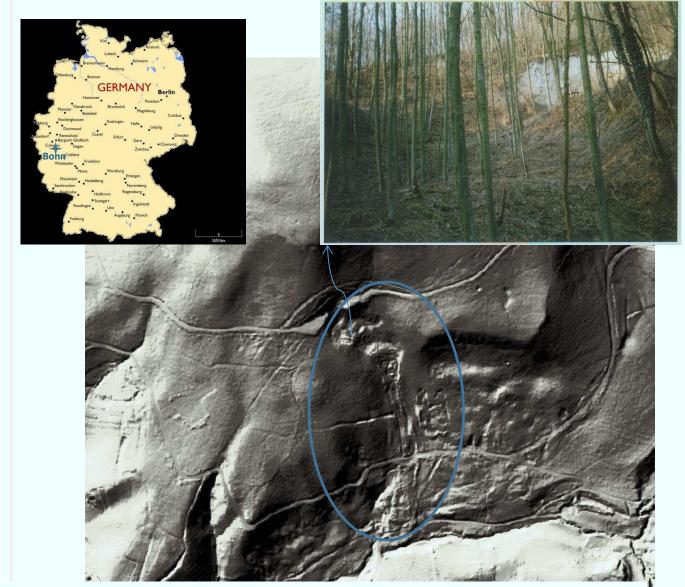
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#### **Motivation and aim**

Rainfall-induced landslides are one of the most important natural hazards. One state-of-the-art modelling approach for coupled hydromechanical slope stability analysis is based on the Mohr-Coulomb concept that allows evaluating the stability at each point within a hillslope using the so-called Local-Factor-of-Safety (LFS) approach. The LFS approach has so far mainly been used to analyze in silico experiments with relatively simple slope geometry. This study aims to apply the LFS concept to a slope with complex morphology and spatially distributed material properties that are expected to have a strong influence on flow orientation, water content, stress distribution, and slope stability. Our study site is located at Dollendorfer Hardt, Germany, and has been investigated in a range of previous studies. The slope geometry was obtained from a high-resolution digital elevation model (DEM), and the subsurface layering was derived from geophysical site characterization. The results of the hydromechanical simulations will be compared to available soil water content monitoring data obtained using a wireless sensor network and time-lapse electrical resistivity tomography. In a final step, slope stability will be evaluated for several hypothetical rainfall scenarios to determine conditions for potential slope movement.

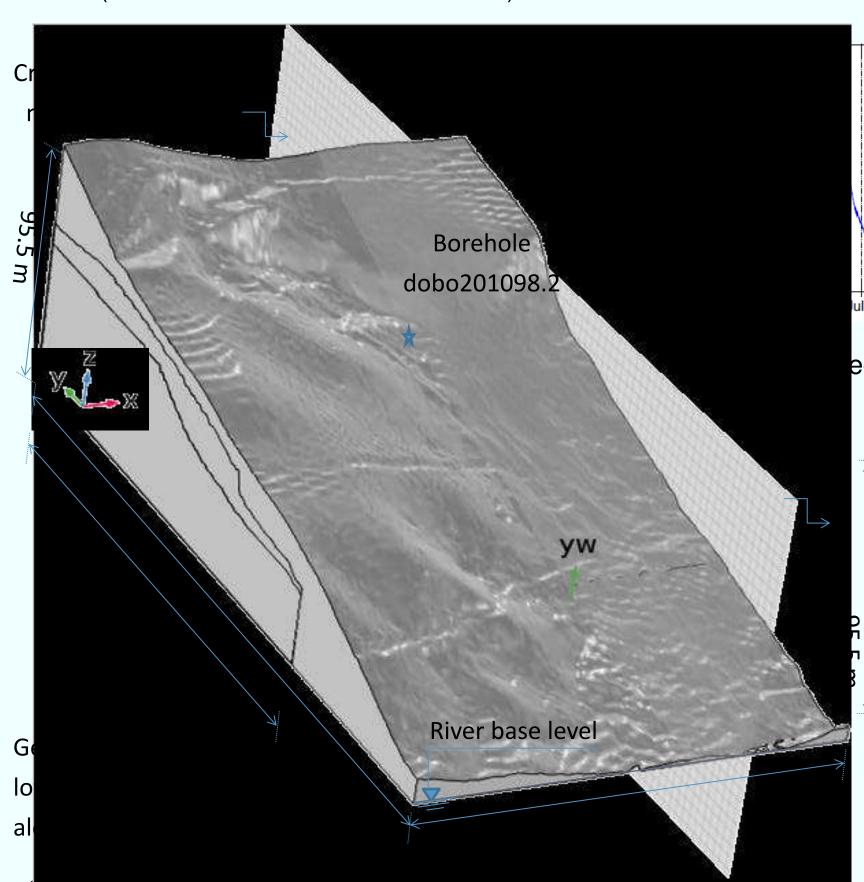
## Set-up of the model



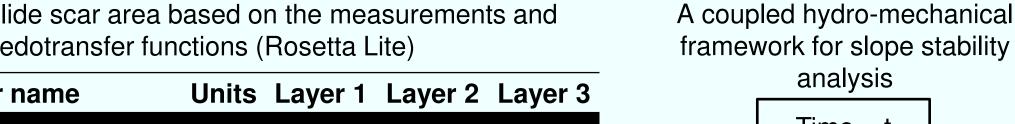
Location of the study area (Dollendorfer Hardt land slide area)

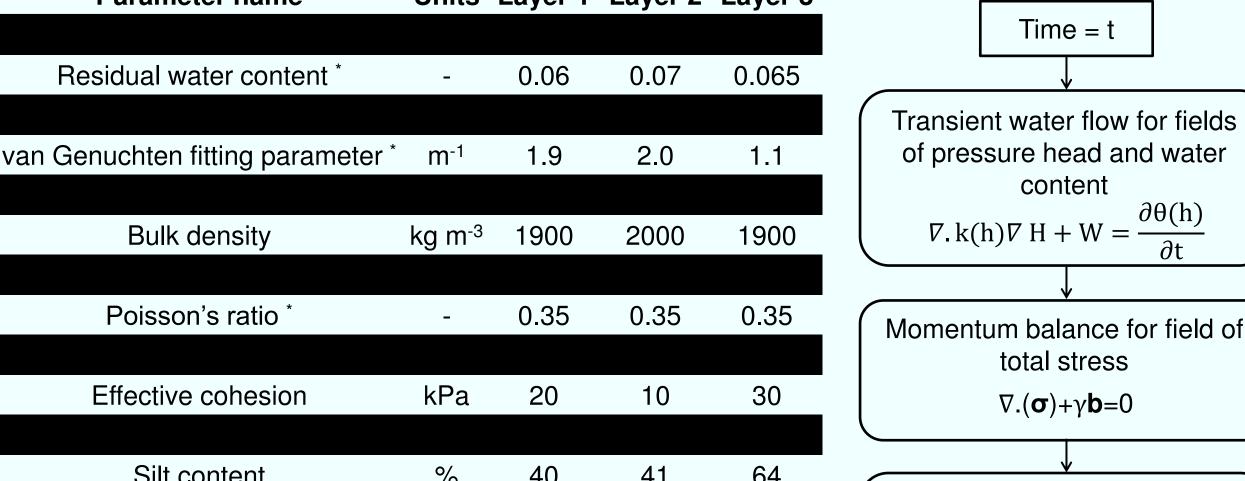
Soil properties in the landslide scar area based on the measurements and
derived from pedotransfer functions (Rosetta Lite)

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Symbol	Parameter name	Units	Layer 1	Layer 2	Layer 3
$\overline{\theta_{ m r}}$	Residual water content *	-	0.06	0.07	0.065
α	van Genuchten fitting parameter *	m <sup>-1</sup>	1.9	2.0	1.1
ρь	Bulk density	kg m <sup>-3</sup>	1900	2000	1900
V	Poisson's ratio *	-	0.35	0.35	0.35
c'	Effective cohesion	kPa	20	10	30
-	Silt content	%	40	41	64

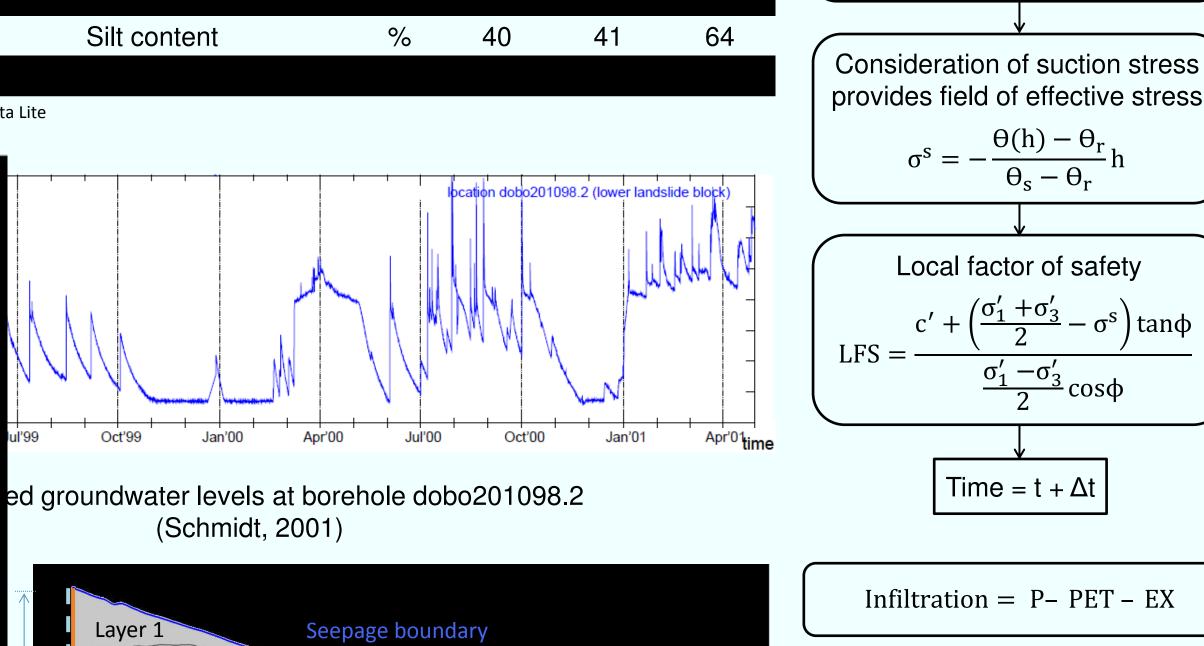


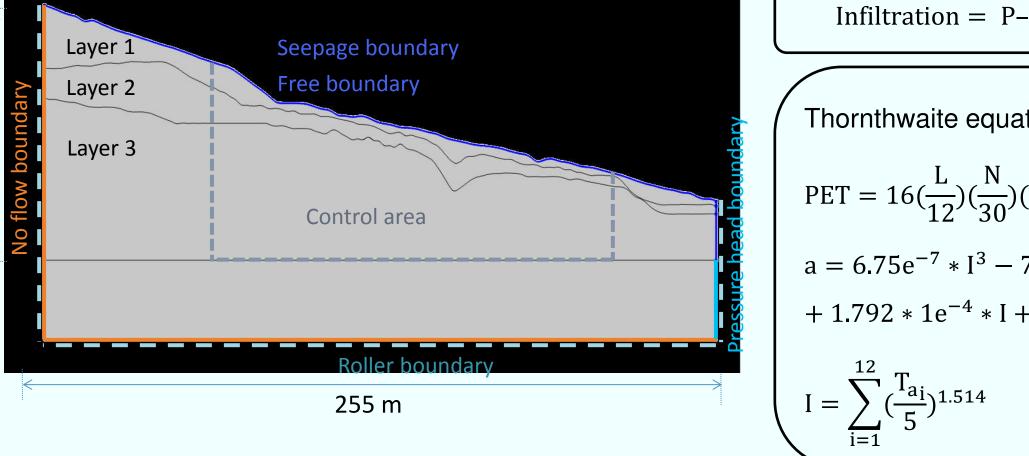
GOMSOL Multiphysics generated 3D geometry and soil layering model of the landslide scar area of Dollendorfer Hardt based on the geophysical measurement data.





\* Derived from Rosetta Lite

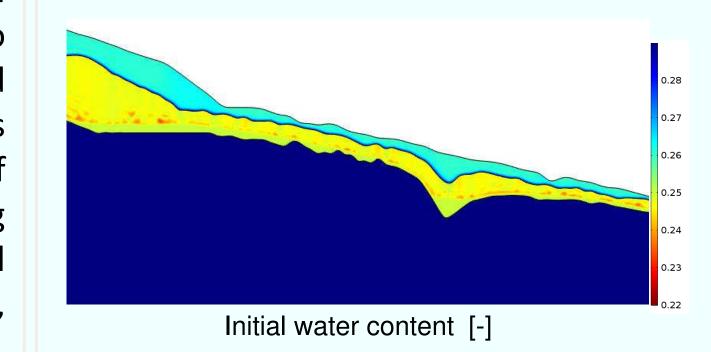


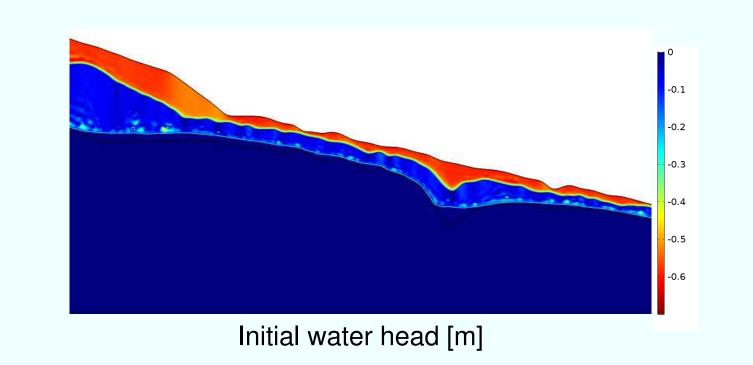


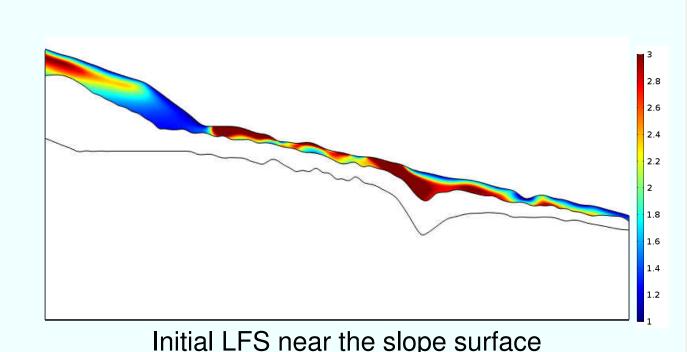
Geometry and boundary conditions of the 2D hydromechanical mode

## Slope stability evaluation

Initial condition is obtained from running the model with an average infiltration of 165 (mm/year) for 30 years.

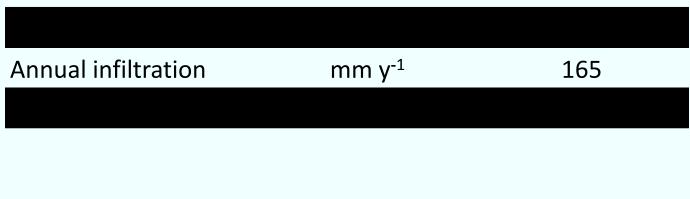


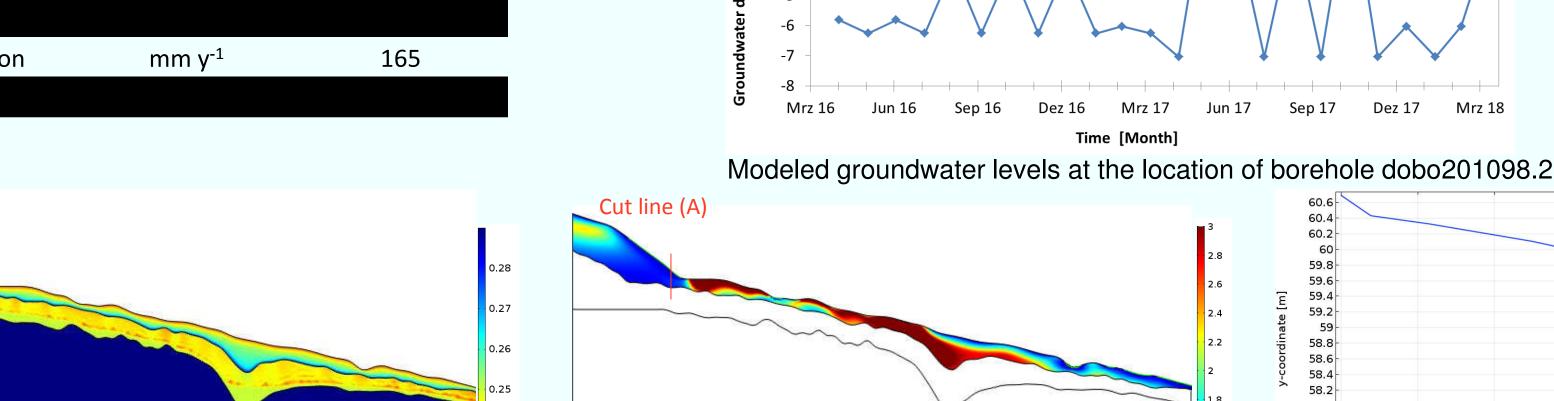


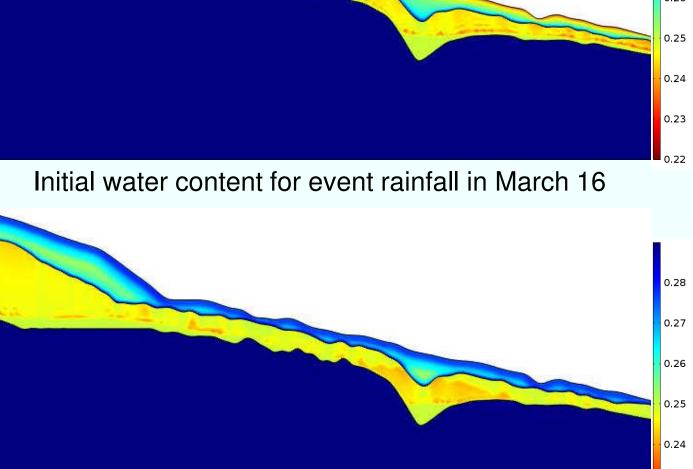


Two years of monthly infiltration is used to obtain initial conditions for the event rainfall

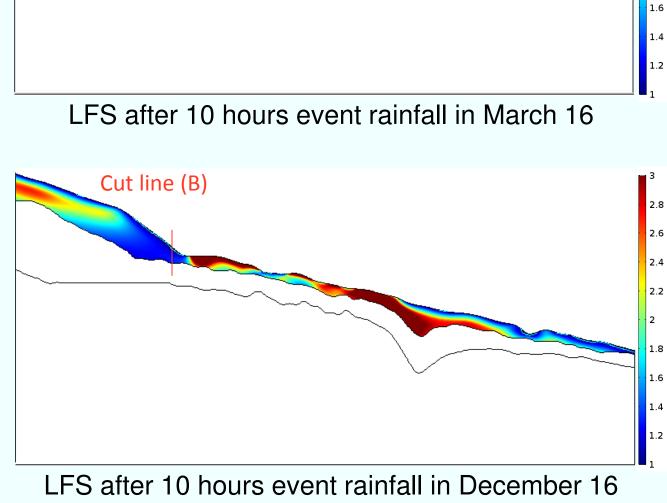
Characteristics of the implemented rainfall and infiltration Rainfall Units **Value** 

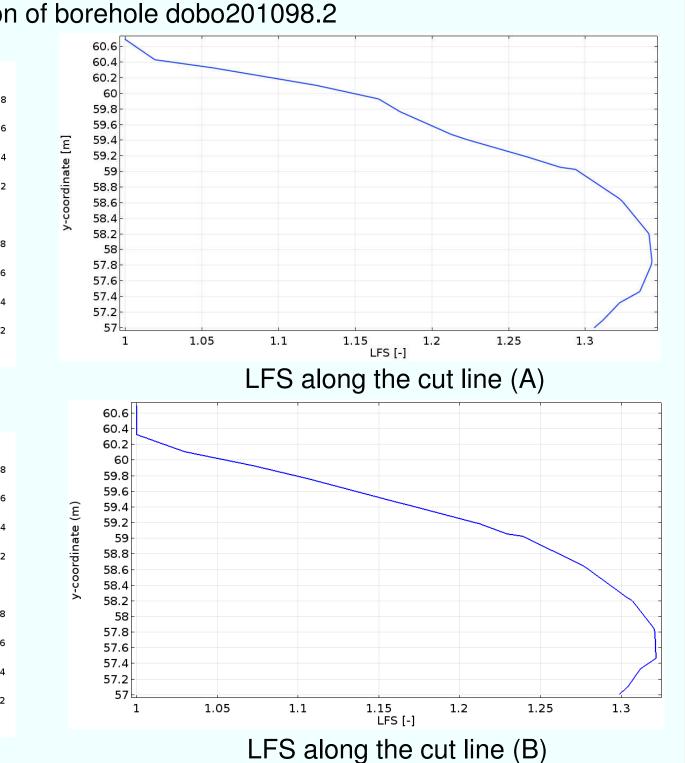






Initial water content for event rainfall in December 16





#### Conclusions

- We have used the LFS approach for slope stability assessment of a real slope in Dollendorfer Hardt with a relatively complex geometry and heterogeneity in material properties.
- The results of the hydrological simulations are consistent with the available soil water content monitoring data obtained using a wireless sensor network and time-lapse electrical resistivity tomography, as well as the measured groundwater table at the site.
- The hydrological initial condition plays an important role in timing of slope failure and determines the amount of rainfall that is required for potential slope instability.
- We are thankful for funding within the Geotechnologien program of BMBF (Grant number 03G0849A)

Thornthwaite equation (1948):

 $a = 6.75e^{-7} * I^3 - 7.71e^{-5} * I^2$ 

 $+ 1.792 * 1e^{-4} * I + 0.49239$ 

PET =  $16(\frac{L}{12})(\frac{N}{30})(10\frac{T_a}{1})^a$